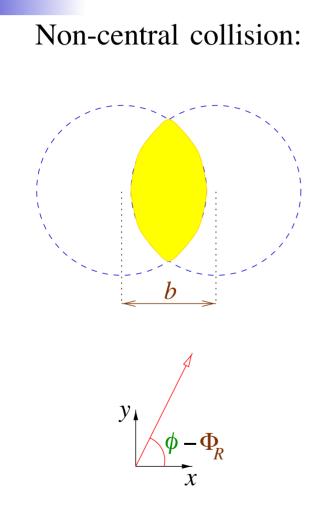
Anisotropic flow and jet quenching

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Anisotropic flow



The particle source is anisotropic (and around it there is only vacuum)

⇒ the pressure gradient along the impact parameter direction is stronger than the gradient perpendicular to the reaction plane

 $\Rightarrow \underbrace{\text{anisotropic}}_{\text{in momentum space}} \text{ particle emission: FLOW}$

Particles mainly emitted *in-plane* ($\phi = \Phi_R$) rather than *out-of-plane* ($\phi - \Phi_R = 90^\circ$).

Anisotropic flow

- Flow is a <u>collective effect</u>
 affects (almost) *all* particles
 Measures bulk property of the medium: equation of state
- Anisotropy quantified by a Fourier expansion:

 $\frac{\mathrm{d}N}{\mathrm{d}\phi} \propto 1 + 2 \, \mathbf{v_1} \cos(\phi - \Phi_R) + 2 \, \mathbf{v_2} \cos 2(\phi - \Phi_R) + \dots$

 v_1 : "directed flow", v_2 : "elliptic flow"

■ A priori, v_n (centrality, p_T, y , PID) ⇒ differential measurements needed!

Elliptic flow v_2

$$v_2 = \langle \cos 2(\phi - \Phi_R) \rangle$$

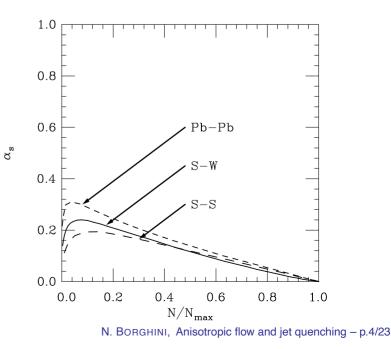
 $v_2 > 0$

Predictions (Jean-Yves Ollitrault, 1992):

- At ultrarelativistic energies, particles are emitted "in-plane" $(\phi \Phi_R = 0 \text{ or } 180^\circ)$
 - Hydrodynamical model
 (= assuming many collisions and an equation of state)

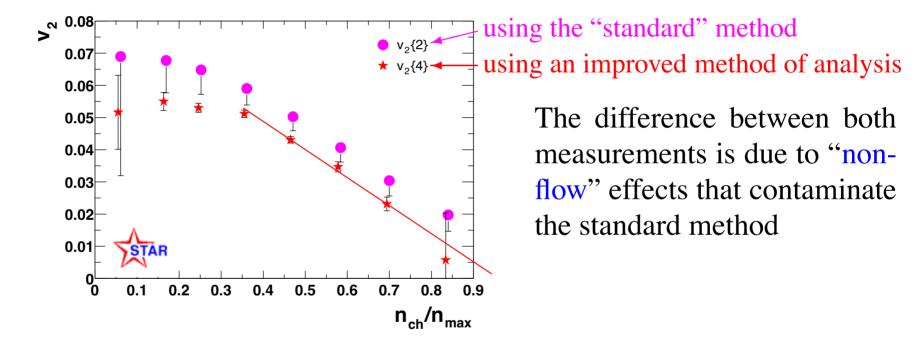
 \Rightarrow

 $\Rightarrow v_2$ linear function of centrality, up to very peripheral collisions



RHIC v_2 results [1]

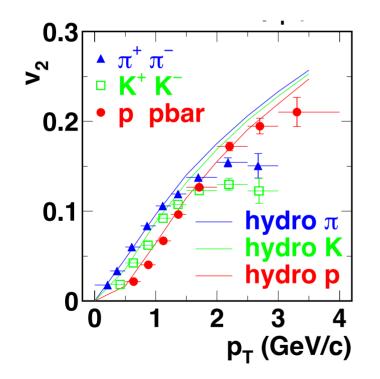
 \heartsuit Centrality dependence of elliptic flow in 130 GeV collisions:



 $\heartsuit v_2$ sign measured recently (STAR, Oct. 2003): $v_2 > 0$

RHIC v_2 results [2]

Transverse momentum & particle type dependence of elliptic flow (200 GeV collisions, PHENIX data):



Hydrodynamical model: (Huovinen et al)

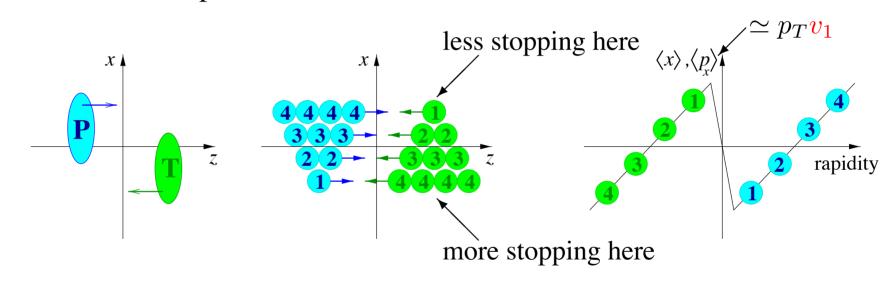
- Ist order phase transition,
- freeze-out temperature 120 MeV

 \Rightarrow reproduces the mass-dependent v_2 pattern, up to $\sim 2 \text{ GeV}$

For v_2 at high transverse momenta ($p_T \gtrsim 2 \text{ GeV}$), see later

v_1 : a simple model, "antiflow"

Assumptions: incomplete baryon stopping position-momentum correlation



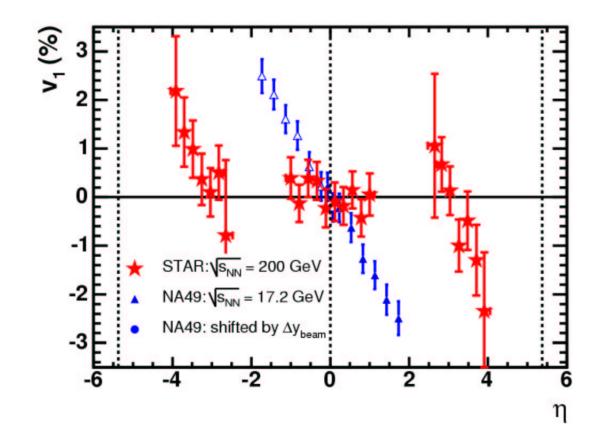
 \Rightarrow **Proton** v_1 **negative** just above midrapidity

R.J.M. Snellings et al, Phys. Rev. Lett. 84 (2000) 2803

Note: $v_1 = 0$ at midrapidity for identical nuclei (symmetry)!

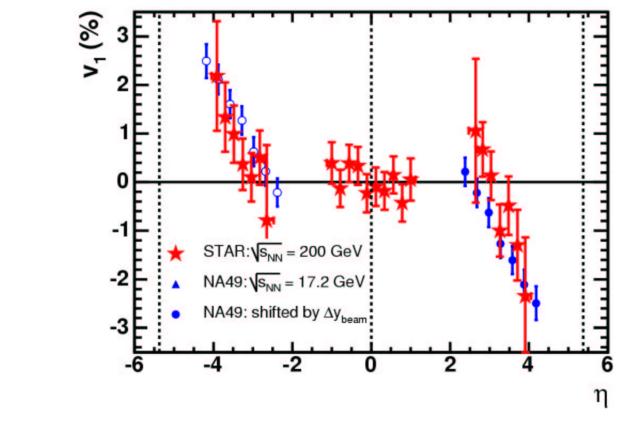
v_1 at RHIC: first results

STAR Collaboration, Oct. 2003: charged particles, 10–70% centrality



v_1 at RHIC: first results

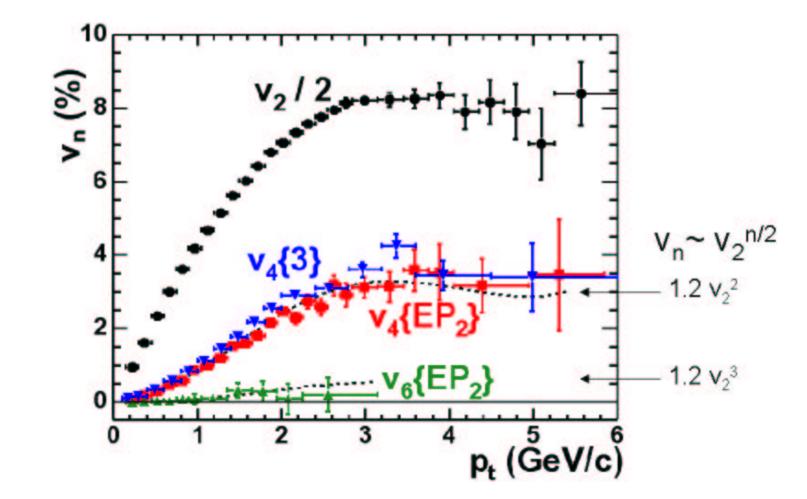
STAR Collaboration, Oct. 2003: charged particles, 10–70% centrality



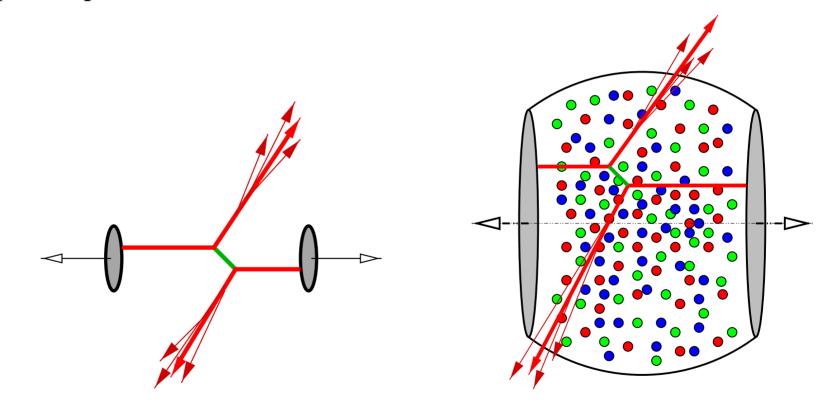
Run 4 statistics... differential measurements of v_1 (and smaller error bars)

A new observable: v_4

STAR Collaboration, charged particles, minimum bias, 200 GeV

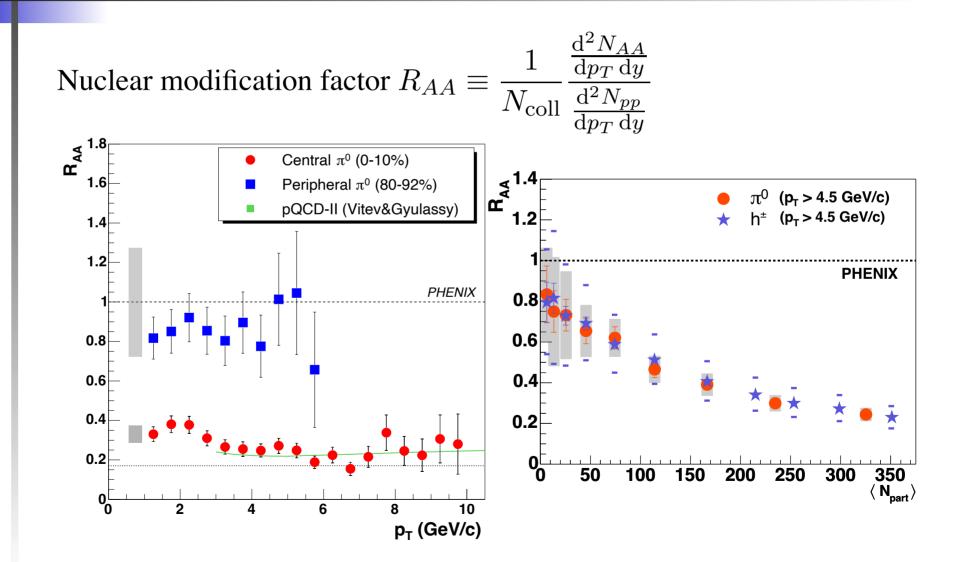


proton-proton vs. nucleus-nucleus: medium effect?



figures courtesy of F. GELIS

"Jets" in Au-Au collisions at RHIC

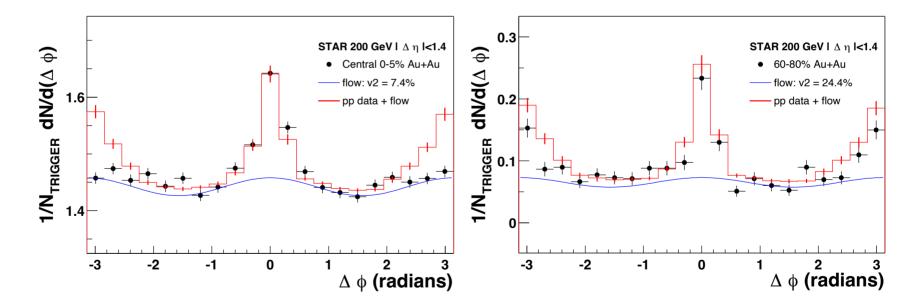


"Jets" in Au-Au collisions at RHIC

Azimuthal correlations:

1. Choose leading particle ($p_{T_{\text{max}}}$): origin of azimuths

2. Count associated particles ($p_{T_{cut}} < p_T < p_{T_{max}}$): azimuth ϕ

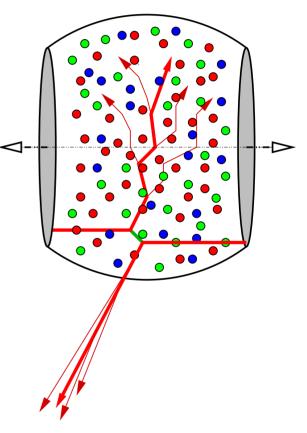


 \Rightarrow absence of back jet ($\Delta \phi \sim 180^{\circ}$) in central Au-Au collisions

Extreme scenario:

Only the jets formed close to the edge manage to get out of the medium

Is this supported by QCD?



Fast parton energy loss dominated by the emission of soft gluons

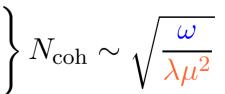
Soft gluon formation time $t_{\rm form} \sim \frac{\omega}{k_\perp^2}$

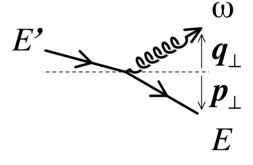
Model of the medium:

- mean free path λ
- screening mass μ

Multiple scatterings: $\lambda \ll t_{\rm form}$

 $\left. \begin{array}{l} N_{\rm coh} \sim t_{\rm form} / \lambda \text{ coherent scatterings} \\ \text{Accumulated } k_{\perp} : k_{\perp}^2 \sim N_{\rm coh} \mu^2 \end{array} \right\} N_{\rm coh} \sim \sqrt{\frac{\omega}{\lambda \mu^2}}$





Coherence length for soft gluon emission $\ell_{\rm coh} \sim \sqrt{\frac{\lambda\omega}{\mu^2}}$

 \Rightarrow spectrum of energy loss, per unit length:

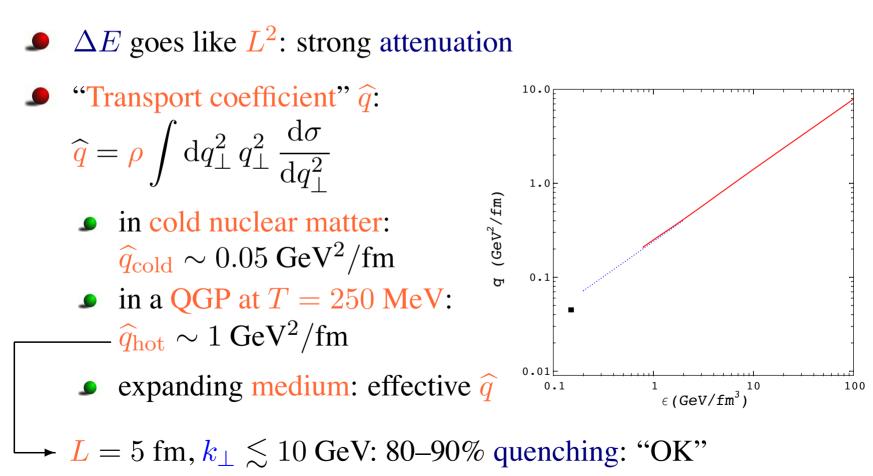
$$\frac{\omega \, \mathrm{d}I}{\mathrm{d}\omega \, \mathrm{d}z} \approx \frac{1}{\ell_{\rm coh}} \alpha_S \sim \alpha_S \sqrt{\frac{\hat{q}}{\omega}}$$

with $\hat{q} \sim \mu^2 / \lambda$
For a path length L : $\frac{\omega \, \mathrm{d}I}{\mathrm{d}\omega} \sim \alpha_S \sqrt{\frac{\hat{q}}{\omega}} L$

Average medium-induced energy loss:

$$\Delta E \sim \int^{\omega_m} \frac{\omega \, \mathrm{d}I}{\mathrm{d}\omega} \, \mathrm{d}\omega \sim \alpha_S \, \widehat{q} \, L^2$$

$\Delta E \sim \alpha_S \,\widehat{q} \, L^2$



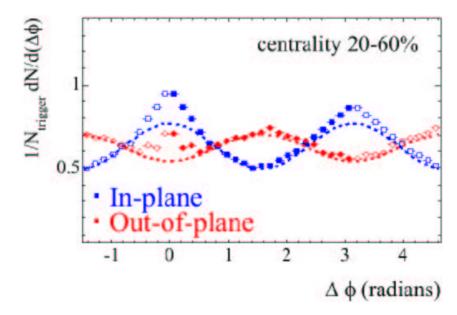
Azimuthally dependent jet quenching

Let's come back to non-central collisions

For a given high- p_T parton, the amount of jet quenching depends on the length of the in-medium path:

 $\Delta E \sim \alpha_S \, \widehat{q} \, L^2$

 \Rightarrow less jet quenching in-plane than out-of-plane



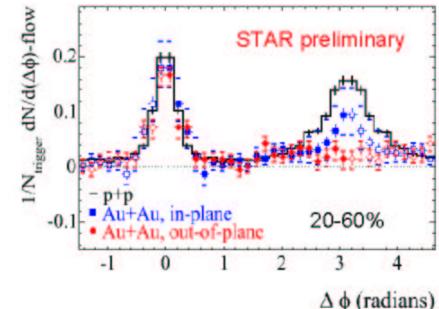
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A first idea: v_2 from jet quenching

For a given high- p_T parton, the amount of jet quenching depends on the length of the in-medium path:

 $(p_T)_{\text{measured}} \approx (p_T)_{\text{emitted}} - a + b \cos 2(\phi - \Phi_R)$

 \Rightarrow measured momentum larger in-plane than out-of-plane

Detected distribution:

 $\frac{\mathrm{d}N}{\mathrm{d}p_T}(p_T) \approx f_0((p_T)_{\mathrm{em.}}) + f_0'((p_T)_{\mathrm{em.}}) \left[-a + b\cos 2(\phi - \Phi_R)\right]$ emitted distribution

$$\Rightarrow \mathbf{v_2}(p_T) \propto \int \frac{\mathrm{d}N}{\mathrm{d}p_T} \cos 2(\phi - \Phi_R) \approx \frac{f_0'((p_T)_{\mathrm{em.}})}{f_0((p_T)_{\mathrm{em.}})} b$$

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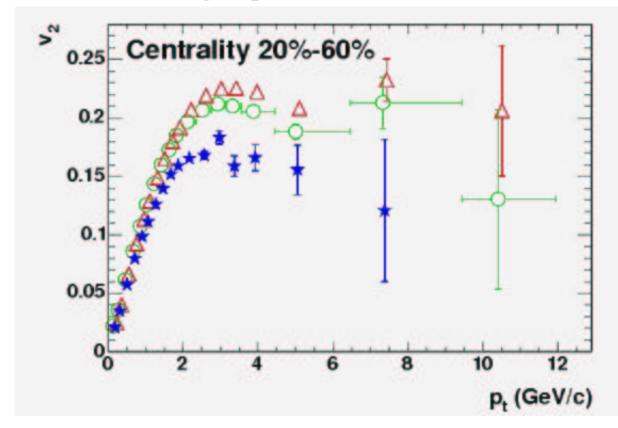
$$v_2(p_T) \approx \frac{f_0'((p_T)_{\rm em.})}{f_0((p_T)_{\rm em.})}b$$

● f_0 exponential $\rightarrow v_2(p_T)$ constant

• f_0 (inverse) power law $\rightarrow v_2(p_T)$ decreasing with p_T

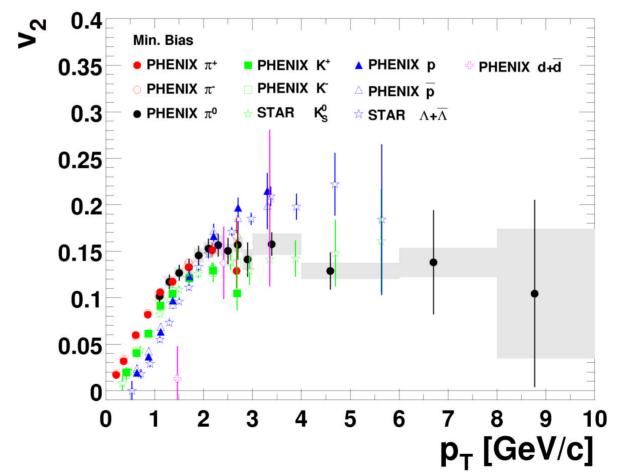
RHIC v_2 results [3]

STAR Collaboration, charged particles, 200 GeV



RHIC v_2 results [3 bis]

PHENIX Collaboration, 200 GeV



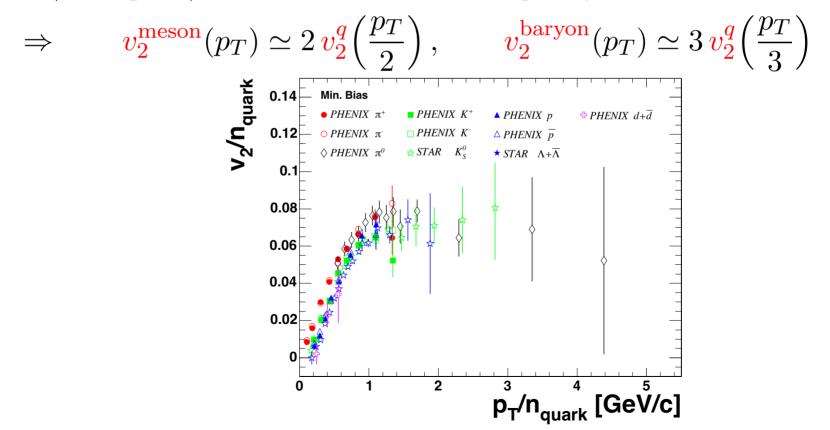
Second idea: hadrons from parton recombination

At hadronization, two quark/antiquark (resp. three quarks) with momentum $p_T/2$ (resp. $p_T/3$) coalesce into a meson (resp. baryon) with momentum p_T

$$\Rightarrow \qquad v_2^{\text{meson}}(p_T) \simeq 2 \, v_2^q \left(\frac{p_T}{2}\right), \qquad v_2^{\text{baryon}}(p_T) \simeq 3 \, v_2^q \left(\frac{p_T}{3}\right)$$

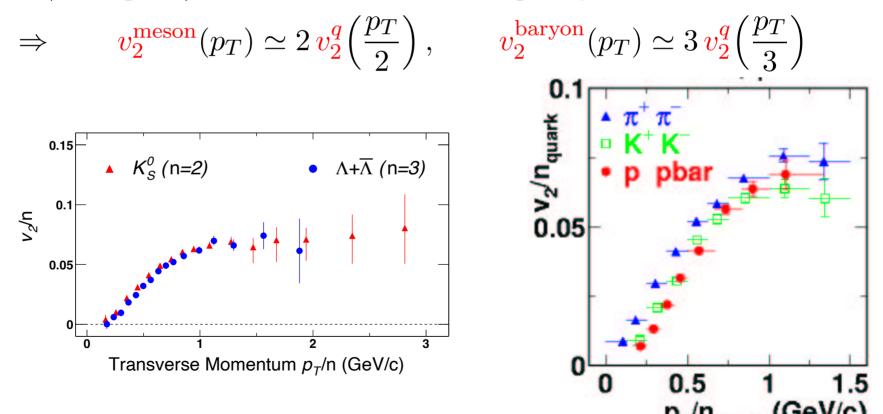
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Summary

- Runs 1 & 2 (3): beautiful data
- Run 4: high statistics? Differential measurements!
 - non-ambiguous $v_2, v_4(\text{PID}), v_1$

 \rightarrow Jérôme, il faut qu'on cause...

● jet quenching: azimuthal dependence, as a function of <u>PID</u>

Omitted topics:

- "dead-cone effect" for heavy quarks
- varying the cut in jet quenching studies (especially for back jet: where has momentum gone?)
- rapidity dependences
- ???

Methods of flow analysis

Measuring anisotropic flow is a complicated issue:

 $v_n = \langle \cos n(\phi - \Phi_R) \rangle$ lab. frame not measured!

"standard" method: extract flow from two-particle correlations
 Idea: 2 particles are correlated together because each of them is correlated to the reaction plane by flow.

Methods of flow analysis

Measuring anisotropic flow is a complicated issue:

 $v_n = \langle \cos n(\phi - \Phi_R) \rangle$ lab. frame not measured!

 "standard" method: extract flow from two-particle correlations
 Problem: the measurement is contaminated by other sources of two-particle correlations: quantum (HBT) effects, minijets, etc.
 Is systematic uncertainty

better methods:

- cumulants of multiparticle correlations
 - 4-, 6-particle cumulants \Rightarrow nonflow effects reduced
- ▲ Lee-Yang zeroes: probe collective effects (flow!)
 ⇔ "infinite-order" cumulant