

Quantum Chromodynamics (QCD)

Tue 8.30 - 10

Thu 12.30 - 14

45, E6-118, 6221, Yorks @ physik....

www.physik.uni-bielefeld.de/~yorks/qcd13

→ language? Ger/En

prerequisites : QFT (or Laermann's QFT SS13)
Elementary Particle Physics (for context)

literature : → see webpage, Semesterprogramm

topics : → v.

credits : $5 = 3 + 2$
 ↑ ↑ oral exam
 └ attending lecture → group sheet

exercises : mmi-reviews @ start of each lecture

1. Introduction

Nature is extremely strange - but also very beautiful.

We have built a system of understanding (her):

- QM + Special Rel \rightarrow QFT
- objects: space-filling fields;
excitations: particles
- "Standard Model" $\hat{=}$ 3 basic conceptual structures
 - \rightarrow gauge system: $SU(3)_c \times SU(2)_L \times U(1)_Y$
 \sim 3 parameters g_i
 - \rightarrow gravity system: Einstein-Hilbert action
+ minimal matter coupling
 \rightarrow 2 parameters G_N, Λ
 - \rightarrow Higgs system: no deep principle
 \sim many parameters
provisional concept?
- (extremely) accurately tested/confirmed
by many experiments

1.1. QCD Appetizer

"zoom" into part of gauge system: QCD

theory of strong-interactions

$\hat{=}$ models you know from particle physics (quarks, color, partons)

+ mathematical structure you know from QFT

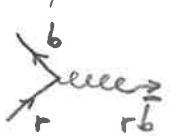
(non-Abelian gauge theory, [Yang, Mills 1954])

\swarrow the $SU(3)_c$ above

an analogy to QED: specify QCD via Feynman rules



Some qualitative remarks:

- gluon couples to color charge
color of quark typically changes at $q\bar{q}g$ -vertex
eg.  , gluon carries the difference
(the fact that quarks carry 3 (eg. red/green/blue) color charges has been determined experimentally; more later))

- gluons therefore interact also among themselves
(in contrast to the electrically neutral photon)

- QCD has very few parameters

"gauge invariance" requires $\gamma \sim g_s$, $X \sim g_s^2$

- define $\alpha_s \equiv \frac{g_s^2}{4\pi}$ (cf. $\alpha_{EM} = \frac{e^2}{4\pi} \approx \frac{1}{137}$)

now, $\alpha_s \gtrsim \frac{1}{10}$ is "large"

→ perturbation theory is not "as perfect" as in QED

→ QCD is "more interesting", has a very rich structure, features surprising effects (more later; material of this semester)

→ theoretical calculations typically have errors $\gtrsim 1\%$

→ one important method to "solve" QCD
is (numerical) Lattice-QCD

Some highlights:

- central feature: asymptotic freedom
- QCD shows different faces at long and short distances

long distance

low energy

confinement

non-perturbative
hadronic structure

eg. Lattice QCD



short distance

high energy (Q > Λ_Q)

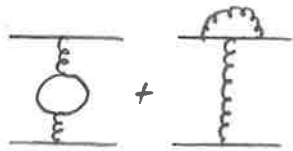
asymptotic freedom

hard scattering

cross sections

perturbative methods

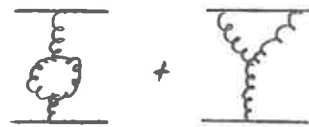
- rough qualitative picture of asymptotic freedom:
(more later → "renormalization")
value of α_s depends on distance (i.e. energy)



screening of the charge
like in QED



α_s(r) → if r ↓



anti-screening
non-abelian

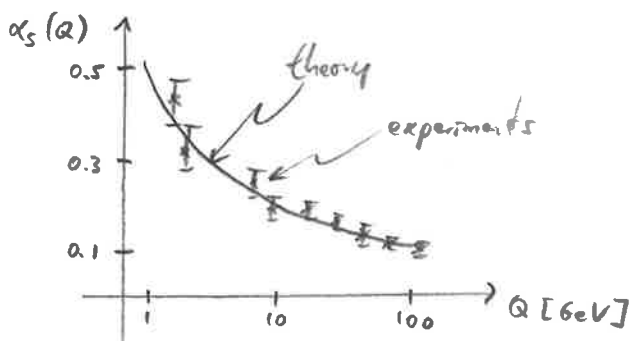


α_s(r) ↓ if r ↓

Who wins?

α_s(Q²) ≈

$$\frac{4\pi}{(-\frac{2}{3}N_f + 11) \ln(\frac{Q^2}{\Lambda^2})}$$



Nobel 2004:

Gross / Politzer / Wilczek

← plot online

[PDG; LEP EWWG]